

Last update: Thu Oct 12 15:02:15 MDT 2006 /m175.fa06/handouts175/t2_175_A13/review_suggestions_2.tex

- 1 This list is not in final form. Like, stuff may yet be added to it.
- 2 Test #2 is

Friday
10/13/06.
- 3 There will be a with-calculator part of this exam. Bring at least a TI-30.
- 4 The test will cover the material of Assignments #1 – #17, and ____, roughly, that is, sections 7.4, 7.7, 7.8, 8.1, 8.2, 8.3, 10.1, 10.2, and ____
- 5 Topics:
 - (a) Partial fractions
 - (b) Approximate integration and use of the error-estimate formulas.
 - (c)
 - (d)
 - (e)
 - (f)
- 6 Some relevant review problems:
 - (a) 7.5: 9, 71, 73
 - (b) $\int_{-1}^1 \frac{6x^2 - 17x - 5}{(x - 2)^2(x + 3)} dx = \ln\left(\frac{16}{9e^2}\right)$
 - (c) Page 541: odds 41-49
 - (d) Try Simpson's rule, $n = 4$ on $\int_{-2}^3 x^2 dx$. What's the worst possible error as estimated by the textbook's error-estimate formula?
 - (e) 8.3: 3, 5, 7 – do each one two ways:
 - (i) use the methods of examples 1 and 2 of 8.3
 - (ii) compute the centroid of each shape, then calculate the force on the shape if it has been rotated around so as to lie horizontal at the centroid's depth.

7 Notes on relevant old-test problems:

- (A) Test #3 for 4/12/02:
 - (a) Problem 1 – improper integrals
- (B) Test #4 for 5/3/02:
 - (a) Problem 3 – arc length
 - (b) Problem 5 – a centroid
 - (c) Problem 6(a) – surface area
- (C) Final Exam for 5/13/02:
 - (a) Problem 3 – decomposition
 - (b) Problem 5(a) – arc length
- (D) Test #1 for 9/16/05:
 - (a) Problem 2 – an easy antiderivative-free solution?
- (E) Test #2 for 10/14/05:
 - (a) Problem 1 – a midpoint sum.
 - (b) Problem 2 – midpoint-sum error.
 - (c) Problems 3 and 4 – partial fractions.
 - (d) Problem 7 – a famous improper integral for which l'Hôpital's-Rule steps must be shown.
 - (e) Problem 8 – more about improper integrals.
 - (f) Problem 10 – convergence of an improper integral without antiderivatives.
- (F) Test #4 for 12/2/05:
 - (a) Problem 1 – trace out a parametric path.
 - (b) Problem 3 – the part about the slope of the graph at $t = \pi/4$.
- (G) Final Exam for 12/14/05:
 - (a) Problem 7 – more partial fractions
 - (b) Problem 10, parts (d), (g) and (h).