

This with-calculator portion of the test consists of just two problems.

- 1 Compute the average rate of change of the function

$$f(x) = \frac{1}{1+x^2}$$

on the interval $[-1, \sqrt{2}]$. Round your answer to four decimal places.

- 2 To four decimal places, $\sqrt{\pi + \pi^{2/3}} \approx$ _____

This part of the test has pages 2 – 5. Take a moment to make sure you have them all.

- 3 Recall the formula

$$TI = \frac{f(x+h) - f(x-h)}{2h}$$

Expand and simplify TI for the case where $f(x) = 2x - 3x^2$.

- 4 Let $f(x) = 3 - 5x$ and $g(x) = 7 - x^2$.

(a) Simplify $(f \circ g)(x)$.

(b) Simplify $(g \circ f)(x)$.

(c) Find a formula for f^{-1} .

5 For each of the following, sketch a graph of the equation given. Label important points with their coordinates.

(a) $x^2 + y^2 - 6x + 10y = -9$

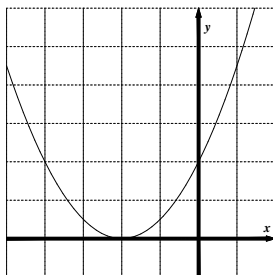
(b) $Q(x) = 10 - |x - 5|$

(c) $9x^2 + y^2 = 36$

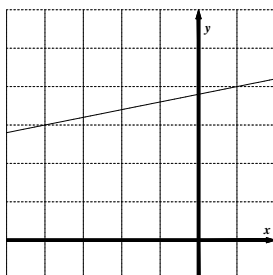
(d) $g(x) = 3x^2 - 12x + 21$

6 Ungraph the following. That is, for each graph, provide a formula for the function or equation whose graph is the most like the given graph:

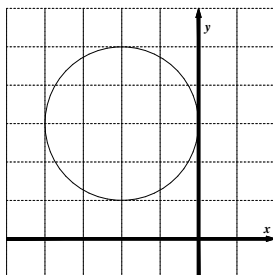
(a)



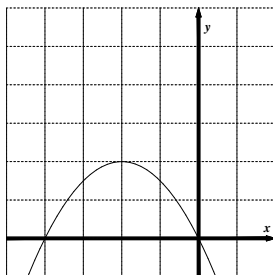
(b)



(c)



(d)



7 Jumbo's Pizzeria can sell **300** five-dollar Little Wonder pizzas on a Saturday evening. For each dollar they boost the price of the Little Wonder, they loose **32** sales.

(a) Give a formula for y , the number of LWPs sold on a Saturday evening, in terms of the price x .

(b) Determine a formula for the Saturday-evening revenue generated by selling LWPs at price x in dollars.

(c) Show steps in determining the theoretical price of a LWP which maximizes the revenue. Can Jumbo's actually *charge* this theoretical price for a pizza?